

Lyapunov Exponents Of Products Of Random Matrices

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In mathematics the Lyapunov exponent or Lyapunov characteristic exponent of a dynamical system is a quantity that characterizes the rate of separation of infinitesimally close trajectories. Quantitatively, two trajectories in phase space with initial separation vector $\delta \mathbf{0}$ diverge (provided that the divergence can be treated within the linearized approximation) at a rate given by

Lyapunov exponent - Wikipedia

Lyapunov exponents for products of Ginibre matrices with $b = 1, 2, 4$ Jesper R. Ipsen Department of Physics, Bielefeld University Universität Bielefeld Expressions for a product of M Ginibre matrices We are interested in the spectral properties of the following product matrix,

Lyapunov exponents for products

A number of particular cases are also considered, where the scaling function of the Lyapunov exponent involves other special functions (Airy, Bessel, Whittaker, elliptic). The general solution thus obtained allows us, among other things, to recover in a unified framework many results known previously from exactly solvable models of one-dimensional disordered systems.

The Lyapunov Exponent of Products of Random 2x2 Matrices ...

Introduction Bounding Lyapunov exponents Accuracy Negative entries Bounds for (generalised) Lyapunov exponents for random products of shears Rob Sturman Department of Mathematics University of Leeds LAND Seminar, 13 June 2016 Leeds Joint work with Jean-Luc Thiffeault (Madison-Wisconsin)

Bounds for (generalised) Lyapunov exponents for random ...

LYAPUNOV EXPONENTS FOR PRODUCTS OF MATRICES 3 For the above reason, we shall impose more conditions on M : (H1) $M(x) = M$ if $x_2[i]$; $i = 1; ::; m$; (H2) M is irreducible in the following sense: there exists $r > 0$ such that (1.4) $X_r k=1 X_m i=1 M i! k > 0$: In this case, the pressure function $P M(q)$ can be defined by (1.5) $P M(q) = \lim n! 1 n \log X J2N n kM Jkq; 8q2R$; where $N = fJ2 n: M$

LYAPUNOV EXPONENTS FOR PRODUCTS OF MATRICES AND ...

LYAPUNOV EXPONENTS FOR PRODUCTS OF MATRICES AND MULTIFRACTAL ANALYSIS. PART I: POSITIVE MATRICES DE-JUN FENG Abstract. Let (σ, μ) be a full shift space on an alphabet consisting of m symbols and let $M: \Sigma^+ \rightarrow L^+(\mathbb{R}^d, \mathbb{R}^d)$ be a continuous function taking values in the set of $d \times d$ positive matrices. Denote by $\lambda^+(M(x))$ the upper Lyapunov exponent of M at x .

LYAPUNOV EXPONENTS FOR PRODUCTS OF MATRICES AND ...

Lyapunov exponents describe the asymptotic behaviour of the products of matrices in which the positive exponents correspond to exponential growth, whereas negative exponents correspond to exponential decay of the norm. Numerous situations in dynamics and other branches of mathematics lead to the problem of deciding whether the exponents differ from zero.

Lyapunov exponents with multiplicity 1 for deterministic ...

largest Lyapunov exponent, which gives the rate of exponential growth of the products as the number N of factors increases to infinity. The free energy of random Ising models, for instance, is given by the largest Lyapunov exponent of a product of matrices, as is the localisation length of some random Schrödinger operators.

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associated to p . The Lyapunov exponent of p is given by the limit $\lambda(p) = \lim n! 1 n \sum \log_k A_i$ in $k d p(i)$ where $i = (i_1, \dots, i_n) \in \mathbb{Z}^n$ and k denotes any matrix norm. By the sub-additive ergodic theorem, for p almost every $i \in \mathbb{Z}^n$, $\lambda(p) = \lim n! 1 n \log_k A_i$ in k ; a result which was first established by Furstenberg and Kesten in [6]. The precise estimation

Introduction - epubs.surrey.ac.uk

Abstract In this article we study the Lyapunov exponent for random matrix products of positive matrices and express them in terms of associated complex functions. This leads to new explicit formulae for the Lyapunov exponents and to an efficient method for their computation. This is a preview of subscription content, log in to check access.

Maximal Lyapunov exponents for random matrix products ...

Several Lyapunov exponents of f with respect to ν will correspond to the tangent bundle of F ; let us denote by $\lambda^+(f, \nu)$ their sum, and we call it the Lyapunov exponent of f along F . By Birkhoff Ergodic Theorem we have (3) $\lambda^+(f, \nu) = \int M^+(f, \nu) d\nu = \int M \log \nu(\det(Df|_{T_x F})) d\nu(x)$. If f is C^1 then we have (4) $\lambda^+(f, \nu) = \int F(f, \nu)$.

Lyapunov exponents and rigidity of Anosov automorphisms ...

Lyapunov exponents with multiplicity 1 for deterministic products of matrices - Volume 24 Issue 5 - C. BONATTI, M. VIANA

Lyapunov exponents with multiplicity 1 for deterministic ...

Originally Lyapunov exponents are defined for singular values of the product matrix that represents a linear time evolution. Surprisingly a similar construction for the moduli of the complex eigenvalues yields the very same exponents and normal distribution to leading order.

Universal distribution of Lyapunov exponents for products ...

Periodic, deterministic, random Lyapunov exponents Definition of Lyapunov exponents Diffeomorphisms: $(x; v) = \lim n! 1 n \log_k D_x H_n v$ For products of random matrices $MN = Q N k=1 A_{ik} = \lim N! 1 N \log_k M N k = \lim N! 1 N \log_k X N k$ almost surely, where $X N = A_i N X N^{-1}$. Convergence is given by the celebrated Furstenberg-Kesten theorem (1960).

Bounds for (generalised) Lyapunov exponents for ...

Journal of Nonlinear Science (2019) 29:593–620 https://doi.org/10.1007/s00332-018-9497-3 Lyapunov Exponents for the Random Product of Two Shears Rob Sturman · Jean ...

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The concept of Lyapunov exponent has long occupied a central place in the theory of Anderson localisation; its interest in this particular context is that it provides a reasonable measure of the localisation length. The Lyapunov exponent also features prominently in the theory of products of random matrices pioneered by Furstenberg.

Lyapunov exponents, one-dimensional Anderson localisation ...

A strictly positive maximal Lyapunov exponent is synonymous of exponential instability, but one should be warned that in some special cases, this may not be true (see, e.g., the so-called Perron effect) (Leonov and Kuznetsov 2006) A strictly positive maximal Lyapunov exponent is often considered as a definition of deterministic chaos.

Lyapunov exponent - Scholarpedia

Lyapunov exponents Products of random matrices chaotic systems deterministic chaos disordered system disordered systems dynamical systems fields mechanics numerical method physics random media statistical mechanics statistical physics wave . Authors and affiliations. Andrea Crisanti. 1;